M1 or M2: Which Is the Better Monetary Target?

DALLAS S. BATTEN and DANIEL L. THORNTON

The past few years have been marked by financial innovation and deregulation: the rapid growth of money market mutual funds (MMMFs), the nationwide introduction of NOW accounts (January 1, 1981), the introduction of tax-exempt, all-savers certificates (October 1, 1981) and, most recently, the introduction of the Garn-St Germain money market deposit accounts (December 14, 1982) and super-NOW accounts (January 5, 1983). These changes have led the Federal Open Market Committee (FOMC) to alter the relative weight given to M1 and M2 in its policy deliberations during the past two years.

In 1981, the rapid growth of all-savers certificates prompted the FOMC to lessen the weight assigned to the M1 target relative to the broader monetary aggregate. More recently, the large volume of maturing all-savers certificates and the anticipated introduction of the new money market deposit accounts (MMDAs) prompted the FOMC to give much less weight to M1 at its October 1982 meeting. Many believe that these regulatory changes and financial innovations have increased the substitutability between M1 and non-M1 financial assets, thereby weakening the link between the narrow monetary aggregate and economic activity.

The purpose of this article is to investigate whether the relationship between M1 and nominal GNP has deteriorated and to examine the relative performance of M1 and M2 over recent years. While considerable research effort has been devoted to these questions already, we extend these efforts by (1) using a modified St. Louis-type equation that has performed well based on both in-sample and out-of-sample criteria, (2) considering both in-sample and out-of-sample performances of M1 and M2, (3) examining the role of the non-M1 components of M2 separately, and (4) extending the sample period to include the two most recent financial innovations.

MONETARY AGGREGATES AS INTERMEDIATE POLICY TARGETS

In order for a monetary aggregate to be an appropriate intermediate policy target, there must be a predictable relationship between it and income. It is argued at times that this link must be stable as well as predictable. As a general rule, however, the less stable the relationship, the less predictable it is as well. Moreover, a stable relationship need not be a numerical constant as is often argued in the context of the money-GNP relationship.

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4 We should note at the outset that we do not see this as a theoretical debate. The innovations of the past three years could have affected the income and interest elasticities of various financial assets so as to alter the usual relationships between these assets (or simple sum aggregates of these assets, such as M1 and M2) and nominal income. Thus, we believe that the issue is essentially empirical.

5 For the specification of this modified St. Louis equation, see Dallas S. Batten and Daniel L. Thornton, "Polynomial Distributed Lags and the Estimation of the St. Louis Equation," this Review (April 1983), pp. 13-25.

6 It is argued at times that this link must be stable as well as predictable. As a general rule, however, the less stable the relationship, the less predictable it is as well. Moreover, a stable relationship need not be a numerical constant as is often argued in the context of the money-GNP relationship.
The Relationship Between Money and GNP

The relationship between a monetary aggregate and economic activity can be summarized by the following equation:

\[ MV = Y, \]

where \( M \) is a monetary aggregate, \( V \) is the income velocity of money (that is, the rate at which money changes hands in the purchase of final goods and services) and \( Y \) is nominal GNP.

This relationship is viewed frequently in terms of growth rates. That is,

\[ M + V = \dot{Y}, \]

where the dots over each variable indicate compounded annual growth rates. From this representation, it is clear that the predictability of the relationship between a change in money growth and a subsequent change in GNP growth depends crucially on the predictability of the rate of growth of velocity.

For the past two decades, \( M1 \) velocity has been growing at an average rate of approximately 3 percent while, on average, \( M2 \) velocity has not grown at all. This is illustrated by chart 1, which contains the four-quarter growth rates of \( M1 \) and \( M2 \) velocities. The time path of \( M1 \) velocity growth oscillates around 3 percent, and the path of \( M2 \) velocity growth fluctuates around zero. During the past year and a half, however, the growth of each of these velocities has declined dramatically. As a result, the link between these aggregates and GNP appears to have become weaker. Because the behavior of both velocities have been so similar, however, casual observation is insufficient to determine which of these relationships has deteriorated more.

AN ECONOMETRIC INVESTIGATION

An econometric analysis of the relationship between money growth and economic activity involves the use of a version of the St. Louis equation. The St. Louis equation was developed to investigate the impact of monetary and fiscal actions on nominal economic activity (measured by the growth of nominal GNP). The equation usually is written as:

\[ \dot{Y}_t = \alpha_0 + \sum_{i=0}^{J} \beta_i M_{t-i} + \sum_{i=0}^{K} \gamma_i \dot{G}_{t-i} + \epsilon_t, \]

where \( \dot{Y}, M \) and \( G \) are the compounded annual growth rates of GNP, a monetary aggregate and high-employment government expenditures, respectively.
In this article, the appropriate lag lengths (J, K) are selected using an orthogonal regression procedure.\textsuperscript{10}

Table 1 contains the results of estimating equation 1 over three sample periods — II/1962 to III/1982, II/1962 to IV/1982 and II/1962 to I/1983 — using either \( M_1 \) or \( M_2 \) as the monetary aggregate. Because the observed velocity behavior of both \( M_1 \) and \( M_2 \) have been unusual during the past two quarters (IV/1982 and I/1983), this stepwise augmentation of the sample period was employed to isolate the impact of these occurrences on the explanatory power of equation 1.\textsuperscript{11}

Several points of comparison are of interest. First, the \( M_1 \) equation explains 48 percent of the variation in nominal GNP growth in the II/1962–III/1982 period, while the \( M_2 \) equation explains only 26 percent. The explanatory power of each equation, however, deteriorates substantially when the last two quarters of data are added. In relative terms, the decline in explanatory power is about the same for each aggregate; consequently, the absolute explanatory power of the \( M_1 \) equation remains greater than that of the \( M_2 \) equation when the last two quarters are included. Second, a 1 percentage-point change in the growth of either \( M_1 \) or \( M_2 \) ultimately leads to a 1 percentage-point change in GNP growth, regardless of the sample period. Finally, the cumulative impact of a change in high-employment government spending is not statistically significant in either equation for any sample period.

In-Sample and Out-of-Sample Forecasts

To investigate the possible impact of financial innovations and regulatory changes in-sample root mean square errors (RMSEs) are calculated for two sub-

\textsuperscript{10}See Batten and Thornton, "Polynomial Distributed Lags." The lag lengths chosen are 10 for \( M_1 \) and 9 for \( C \) in the \( M_1 \) equation, and 11 for \( M_2 \) and 2 for \( C \) in the \( M_2 \) equation.

\textsuperscript{11}Furthermore, an iterative analysis of several subsample periods was conducted beginning with the subsample period II/1962–IV/1979 and iterating (adding one quarter at each iteration) until the full sample period, II/1962–I/1983, was reached. The only indication of any deterioration in the explanatory power of either equation occurred when IV/1982 was added to the sample.
Table 1  
Ordinary Least Squares Estimates of the St. Louis-Type Equation

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<tr>
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<tbody>
<tr>
<td><strong>M1 EQUATION</strong></td>
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<tr>
<td>Summed Coefficients</td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>( \hat{M} )</td>
<td>1.150*</td>
<td>1.095*</td>
<td>0.952*</td>
</tr>
<tr>
<td>( \hat{G} )</td>
<td>0.042</td>
<td>0.090</td>
<td>-0.047</td>
</tr>
<tr>
<td>Lags</td>
<td>10</td>
<td>14</td>
<td>9</td>
</tr>
<tr>
<td></td>
<td>(4.52)</td>
<td>(3.92)</td>
<td>(3.43)</td>
</tr>
<tr>
<td></td>
<td>(0.31)</td>
<td>(0.61)</td>
<td>(0.31)</td>
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<tr>
<td>Summary Statistics</td>
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<tr>
<td>( R^2 )</td>
<td>0.48</td>
<td>0.38</td>
<td>0.34</td>
</tr>
<tr>
<td>SE</td>
<td>3.16</td>
<td>3.48</td>
<td>3.56</td>
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<tr>
<td>DW</td>
<td>2.12</td>
<td>1.97</td>
<td>1.89</td>
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| **M2 EQUATION**        |                  |                 |                |
| Summed Coefficients    |                  |                 |                |
| \( \hat{M} \)          | 1.310*           | 1.231*          | 1.281*         |
| \( \hat{G} \)          | 0.066            | 0.042           | 0.041          |
| Lags                   | 11               | 2               |                |
|                        | (4.64)           | (0.76)          |                |
|                        | (4.35)           | (0.46)          |                |
|                        | (4.38)           | (0.46)          |                |
| Summary Statistics     |                  |                 |                |
| \( R^2 \)              | 0.26             | 0.19            | 0.19           |
| SE                     | 3.77             | 3.97            | 3.94           |
| DW                     | 1.91             | 1.79            | 1.85           |

Note: Absolute values of t-statistics in parentheses.  
*Statistically significant at the 5 percent level.

The in-sample RMSE is defined as:
\[
\sqrt{\frac{1}{\eta_i} \sum_{j=1}^{\eta_i} e_{ij}^2}
\]

where \( e_{ij} \) is the \( i \)'th residual and \( \eta_i \) is the number of observations in the \( j \)'th subsample.

added to the second period, the performance of each aggregate deteriorates. The performance of M1, although still better than that of M2, does degenerate relative to that of M2. For example, the RMSE of the M1 equation for the I/1980—I/1983 period is 66 percent larger than that for the I/1980—III/1982 period, while the same comparison for the M2 equation yields only a 9 percent increase in the RMSE.

A comparison of out-of-sample forecasts of the equations yielded results similar to those cited above. The imposition of polynomial restrictions tends to smooth the distributed lag weights and, thus, tends to improve the accuracy of out-of-sample forecasts, these restrictions are imposed in both of the out-of-sample experiments. The appropriate polynomial degrees are chosen using the methodology presented in Batten and Thornton, "Polynomial Distributed Lags." The degrees selected are 6 for \( \hat{M} \) and 3 for \( \hat{G} \) in the M1 equation, and 5 for M2 in the M2 equation; no polynomial restrictions are imposed on \( \hat{G} \) in the M2 equation.
experiment conducted was to estimate each equation over the period II/1962–IV/1979 and to forecast GNP growth to the end of the sample period. The out-of-sample RMSEs were calculated for three forecast periods — I/1980 to III/1982, I/1980 to IV/1982 and I/1980 to I/1983 — to demonstrate the impact that the last two quarters have on the forecasting accuracy of each equation. These results are reported in table 3, and the individual errors are presented in chart 2. The evidence indicates that, until the last two quarters, the M1 equation was more accurate in out-of-sample forecasting. When the last two quarters are included, however, the performance of M1 deteriorates significantly while that of M2 remains essentially unchanged. In fact, the initial relative success of the M1 equation vanishes completely when the last two quarters are considered.

These results reveal that the link between M1 growth and GNP growth remained strong up to the fourth quarter of 1982. Thus, the contention that this relationship had deteriorated prior to the unusual occurrence of IV/1982 appears to be without substance.14 Both the in-sample and out-of-sample performances of the M1 equation are considerably better than those of the M2 equation. Thus, there is no evidence to support the contention that the relationship between M2 and income became stronger relative to that of M1 and income before IV/1982. The performance of M1, however, appears to be more adversely affected by the developments of the last two quarters. Even though there is evidence to indicate a recent deterioration in the M1-GNP relationship relative to the M2-GNP relationship, this period is too short to ascertain whether this change is temporary or permanent.

### Analysis of the Non-M1 Components of M2

By definition, M2 contains M1 plus certain other financial assets.15 Thus, implicit in the argument that M2 is preferable to M1 is the assumption that the non-M1 components of M2 (NM1) provide additional explanatory power over that of M1 alone. Furthermore, the non-M1 components of M2 have characteristics which differ, in some cases markedly, from those of M1. Consequently, the marginal impacts of the M1 and the non-M1 components of M2 upon economic activity may vary significantly.16 In order to capture the possibility of this differential impact, the growth of the non-M1 components of M2 is included separately with the growth of M1 in equation 1. Estimates from this augmented equation are given in table 4 for the three sample periods used previously.17

The inclusion of the non-M1 components has little effect on the performance of the equation: the standard errors and adjusted R²s are about the same for comparable sample periods. More importantly, neither the hypothesis that the cumulative impact of the growth of the non-M1 components is zero nor the joint hypothesis that all of these coefficients are zero can be re-

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Table 4
Ordinary Least Squares Estimates of the Augmented St. Louis-Type Equation

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<tbody>
<tr>
<td><strong>SUMMED COEFFICIENTS</strong></td>
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<td></td>
<td></td>
</tr>
<tr>
<td>M1</td>
<td>1.050*</td>
<td>1.004*</td>
<td>0.955*</td>
</tr>
<tr>
<td>(3.79)</td>
<td>(3.29)</td>
<td>(3.22)</td>
<td></td>
</tr>
<tr>
<td>NM1</td>
<td>0.316</td>
<td>0.359</td>
<td>0.356</td>
</tr>
<tr>
<td>(1.31)</td>
<td>(1.28)</td>
<td>(1.36)</td>
<td></td>
</tr>
<tr>
<td>G</td>
<td>-0.047</td>
<td>-0.082</td>
<td>-0.074</td>
</tr>
<tr>
<td>(0.32)</td>
<td>(0.51)</td>
<td>(0.46)</td>
<td></td>
</tr>
<tr>
<td><strong>SUMMARY STATISTICS</strong></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>R²</td>
<td>0.46</td>
<td>0.35</td>
<td>0.35</td>
</tr>
<tr>
<td>SE</td>
<td>3.23</td>
<td>3.56</td>
<td>3.55</td>
</tr>
<tr>
<td>DW</td>
<td>2.20</td>
<td>2.03</td>
<td>2.05</td>
</tr>
</tbody>
</table>

Note: Absolute values of t-statistics in parentheses.
*Statistically significant at the 5 percent level.
JECTED at conventional significance levels during any of
the three periods.\(^\text{18}\) Thus, the non-M1 components of
M2 provide no additional power over M1 alone in
explaining the variation of nominal GNP.

A closely related issue concerns whether the ex-
planatory power of the non-M1 components of M2 has
improved as financial innovation has progressed. Chart
3 contains the in-sample residuals of the M1 equation
and the augmented M1 equation for the period I/1980–
I/1983. If the additional explanatory power of the non-
M1 components has improved during this period, one
would expect to see the residuals of the augmented M1
equation becoming smaller relative to those of the
initial M1 equation. The residuals of the augmented
M1 equation do appear to be smaller than those of the
M1 equation for the last three quarters. In other
words, while these results provide only preliminary
evidence, they do indicate that the performance of the
non-M1 components may have improved during the
past two or three quarters.

SUMMARY AND CONCLUSIONS

Financial innovation in the 1980s has led many to
believe that the relationship between M1 growth and
GNP growth has deteriorated relative to that between
M2 growth and GNP growth. Although this is a con-
ceptual possibility, an empirical investigation provides
mixed support for this contention. It is clear that,
within the framework of the version of the St. Louis
equation presented here, M1 growth explains more of
the variation of nominal GNP growth than M2 growth
and that there was no marked deterioration in the
M1-GNP relationship prior to the fourth quarter of
1982.

Drawing conclusions from summary statistics of ex-
planatory power, however, confuses past with present
performance. An analysis of in-sample and out-of-
sample forecasting errors reveals that the relative suc-
cess of M1 has been due primarily to its past perfor-
mance, not its present one. In particular, the occur-
dences of the past two quarters have had a substantially
larger impact on the relationship between M1 and
nominal GNP than that between M2 and GNP.\(^\text{19}\)

While this evidence should promote continued re-
view of the relative merits of M1 and M2, it does not
seem sufficient, at present, to conclude that M1 should
be de-emphasized as an intermediate target of mone-
tary policy. If subsequent empirical studies provide
more conclusive evidence to support this tentative
finding, then policymakers should consider changes
that will enhance their ability to control M2.

\(^\text{18}\)The F-statistics calculated to test the hypothesis that all of the
coefficients of N1M are zero in each of the three periods are 0.77,
0.76 and 1.06, respectively, well below the critical value of 1.95 at
the 5 percent significance level.

\(^\text{19}\)It should be noted that even though recent financial innovations
and deregulation have motivated this study, the findings do not
necessarily indicate that these innovations and regulatory changes
have been the cause of the results obtained. In fact, much of the
innovation and deregulation that has occurred predated the time
period during which the changes in explanatory power have been
identified.